# Discrete Mathematics Seminar 

Time: Friday, 18 November 2011, 12:30-1:30 PM
Location: 238 Derrick Hall
Title: $\quad$ Small Additive Bases for the First $n$ Positive Integers
Speaker: Dr. Xingde Jia, Mathematics Department

## Abstract:

Given a positive integer $k$. Let $n(2, k)$ denote the largest positive integer $n$ so that there exists a $k$-element set $A=\left\{a_{1}, a_{2}, \ldots, a_{k}\right\}$ of positive integers such that every positive integer $t$ less than or equal to $n$ can be written as a sum of at most two elements from $A$. A relatively simple construction of a good set $A$ with $k$ elements was discovered by Mrose in 1979 , which shows that $n(2, k) \geq \frac{2}{7} k^{2}+O(k)$. More than 30 years later today, this is still the best know lower bound for the extremal function. I will present the construction of this small additive basis, and also discuss some related open problems.

